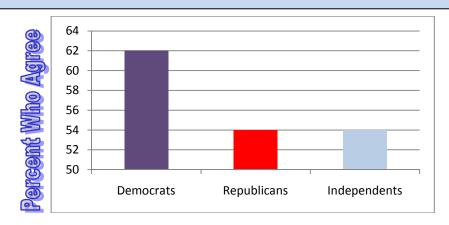
#### CHAPTER PROBLEM

Are the survey results presented in a way that is fair and objective?

At age 26, Terri Schiavo was married and was seeking to have a child when she collapsed from respiratory and cardiac arrest. Attempts to revive her were unsuccessful and she went into a coma. She was declared to be in a permanent vegetative state in which she appeared to be awake but unaware. She remained in that state for 15 years, unable to communicate or care for herself in any way. She was kept alive through the insertion of a feeding tube. There were intense debates about her situation, with some arguing that she should be allowed to die without the feeding tube, while others argued that her life should be preserved with the feeding tube and any other necessary means. After many legal battles, her feeding tube was removed, and Terri Schiavo died 13 days later at the age of 41. Although there were very different and strong opinions about Terri Schiavo's medical treatment, there was universal sympathy for her. In the midst of the many debates about the removal of Terri Schiavo's feeding tube, there was a CNN/USA

Today/Gallup poll in which respondents were asked this question: "Based on what you have heard or read about the case. do you agree with the court's decision to have the feeding tube removed?" The survey was conducted by telephone and there were 909 responses from adults in the United States. Respondents were also asked about their political party affiliations, and a bar graph similar to the one below was placed on the CNN website. This figure shows the poll results broken down by political party. Based on this figure, it appears that responses by Democrats were substantially different from responses by Republicans and Independents. We will not address the human issues related to the removal of the feeding tube, although it raises important questions that everyone should carefully consider. Instead, we will focus on the graph. Our understanding of graphs and the information they convey will help us answer this question: Does the graph fairly represent the survey results?



GRACEY/STATISTICS			CH. 2	
	MATH 103 CHAPTER 2 HOMEWORK			
2.1	NA	2.4	1-4, 9-14, 19-21, 23, 25	
2.2	1-5, 7, 9, 11, 13, 16, 17, 20, 25, 29	2.5	1, 3, 4, 6, 7, 8, 10	
2.3	1-8, 11, 17, 19			

# 2.1 REVIEW AND PREVIEW

	Chapter 1 discussed	thinking and methods
	for	data and identifying
	of data. We also discussed o	consideration of the
	of the data, the	of the data and the
		method. Samples of data are often
	; ii	n order to analyze such large data sets, we must
		,, and
		data in a convenient and meaningful form.
	In this chapter, we are main of the data set.	nly concerned with the
	RACTERISTICS OF DATA <u>Center</u> : A representative or	average value that indicates where the
2		of the data set is located

2. \_\_\_\_\_ of the data set is located.
 3. <u>Variation</u>: A measure of the amount that data values \_\_\_\_\_

GRACEY/STATISTICS	CH. 2
4. <b>Distribution</b> : The nature or shape of the	of the
data over the of values (such as uniform, or skewed). 5. <u>Outliers</u> : Sample values that lie very far away from the vast	bell-shaped,
of the other sample values.	
6. <u>Time</u> : Changing characteristics of the data over time.	
<ul> <li>2.2 FREQUENCY DISTRIBUTIONS</li> <li>Key Concept</li> <li>When working with large data sets, it is often helpful to</li> </ul>	
and	the data
by constructing a table called a distribution. A frequency distribution helps us understand the r distribution of a data set.	 nature of the
DEFINITION	
A <b>frequency distribution (aka frequency table)</b> shows how a data se	et is
among all of several categories (or c	lasses) by
listing all of the along with the numbe	r of data
in each of the categories.	

Example 1: Let's construct our own frequency distribution which summarizes the height distribution in our class.

# Height of Students in Ms. Gracey's Class

HEIGHT	35-39	40-44	45-49	50-54	55-59	60-64	65-69	70-74
FREQUENCY								

#### **GRACEY/STATISTICS**

# DEFINITION

Lower class limits are the	_ numbers that can			
belong to the different				
Upper class limits are the	_numbers that can			
belong to the different				
<u>Class boundaries</u> are the numbers used to classes, but without the gaps created by class limits.	the			
<u><b>Class midpoints</b></u> are the values in the of the classes. Each class midpoint is found by adding the lower class limit to the upper class limit and dividing the sum by 2.				
<u>Class width</u> is the difference between two consecutive lower class limits or two consecutive lower class boundaries.				

# 35-39 40-44 45-49 50-54 55-59 60-64 65-69 70-74

PROCEDURE FOR CONSTRUCTING A FREQUENCY DISTRIBUTION				
We construct frequency distributions so that (1) large data sets can be				
, (2) we can analyze the				
of the data, and (3) we have a basis for constructing				
(such as histograms).				
1. Determine the number of The number of				
classes should be between 5 and 20, and the number you select might be				
affect by the convenience of using large numbers.				
2. Calculate the class width.				
class width $\approx \frac{(}{}) - ($				
class width $\approx \frac{1}{1}$ number of classes				
3. Choose either the minimum data value or a convenient value				
the minimum data value as the first lower class limits.				
4. Using the first lower class limit and the class width, list the other lower				
class limits. (Add the class width to the lower				
class limit to get the second lower class limit. Add the class width to the				
lower class limit to get the third lower class				
limit, and so on).				
<ol><li>List the lower class limits in a vertical column and then enter the upper class limits.</li></ol>				
6. Take each individual data value and put a tally mark in the appropriate class.				
the tally marks to find the total frequency for				
each class.				

		10-0-	 -
CDA	CLV	/STA <sup>-</sup>	CC.
UNA		/ J I A	

RELATIVE FREQUENCY DISTRIBUTION	
In a relative frequency distribution, the frequency of a class is replaced with a	
relative frequency (aka a proportion) or a percentage frequency. The sum of the	
relative frequencies in a relative frequency distribution must be close to	
or	
relative frequency =	
percentage frequency =X	.00

CH. 2

# CUMULATIVE FREQUENCY DISTRIBUTION

The cumulative frequency for a class is the		
for that class and all		
classes.		

# CRITICAL THINKING: INTERPRETING FREQUENCY DISTRIBUTION

In statistics, we are interested in the	of the
---	--------

data, and in particular, whether the data have a	
distribution.	

# NORMAL DISTRIBUTION

- 1. The \_\_\_\_\_\_\_\_ start low, then increase to one or two high frequencies, then decrease to a low frequency.

#### GAPS

The presence of gaps can show that we have data from two or more different \_\_\_\_\_\_\_. BE CAREFUL—the converse is not necessarily true!

### Example 2: Consider the frequency distribution below.

Tar (mg) in filtered cigarettes	Frequency
2-5	2
6-9	2
10-13	6
14-17	15

a. Identify the class width

# b. Identify the class midpoints

c. Identify the class boundaries

d. Using a strict interpretation of the relative criteria, does the frequency distribution appear to have a normal distribution?

e. If the criteria are interpreted very loosely, does the frequency distribution appear to have a normal distribution?

Example 3: Listed below are amounts of strontium-90 (in millibecquerels) in a simple random sample of baby teeth obtained from Pennsylvania residents born after 1979. Construct a frequency distribution with eight classes. Begin with a lower class limit of 110, and use a class width of ten.

155 142 149 130 151 163 151 142 156 133 138 161 128 144 172 137 151 166 147 163 145 116 136 158 114 165 169 145 150 150 158 151 145 152 140 170 129 188 156

# 2.3 HISTOGRAMS

Key Concept...

In this section we discuss a visual tool called a histogram, and its significance in representing and analyzing data.

# DEFINITION

A <u>histogram</u> is a graph consisting of bars of	
width drawn adjacent to each other without Th	ie
horizontal scale represents of quantitative c	lata
values and the vertical scale represents	·
HORIZONTAL SCALE: Use class	_or
class	
VERTICAL SCALE: Use class	
A relative frequency histogram has the same shape and horizontal scale as	۵
histogram, but the vertical scale is marked with	
frequencies (as or	
) instead of actual frequencies.	

# **GRACEY/STATISTICS**

CH. 2

CRITICAL THINKING: INTERPRETING HIS We learn about	
C	
V	
D	
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Τ	

Example 4: Use the frequency distribution from example 3 to construct a histogram.

#### 2.4 STATISTICAL GRAPHICS

Key Concept...

In this section we discuss types of statistical graphs other than

\_\_\_\_\_. Our objective is to identify a

\_\_\_\_\_ graph for representing a

\_\_\_\_\_ set.

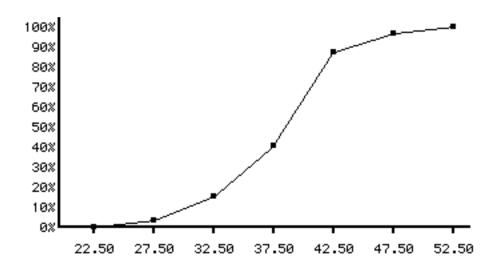
# FREQUENCY POLYGON

A <u>frequency polygon</u> uses line segments connected to points directly above class

values.

A **<u>relative frequency polygon</u>** uses relative frequencies for the

\_\_scale.



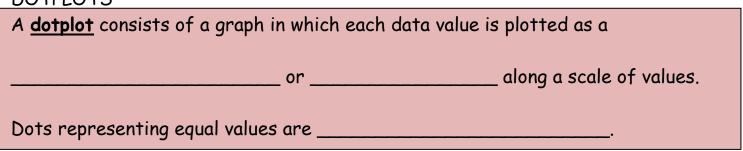
GRACEY/STATISTICS	CH. 2
OGIVE	
An <u>ogive (pronounced "oh-jive")</u> involves	
frequencies. Ogives are useful for determining the number of values below some	
particular value. An ogive is a gro cumulative frequencies. An ogive uses class boundaries a	• •
and frequencies along	<b>,</b>

For example, if you saved \$300 in both January and April and \$100 in each of February, March, May, and June, an ogive would look like Figure  $\underline{1}$ .



Figure 1Ogive of accumulated savings for one year.

#### DOTPLOTS



#### STEMPLOTS

### A stemplot (aka stem-and-leaf plot) represents

\_\_\_\_\_ data by separating each value into

two parts: the \_\_\_\_\_ and the \_\_\_\_\_

Example 1: Listed below are amounts of strontium-90 (in millibecquerels) in a simple random sample of baby teeth obtained from Pennsylvania residents born after 1979.

155 142 149 130 151 163 151 142 156 133 138 161 128 144 172 137 151 166 147 163 145 116 136 158 114 165 169 145 150 150 158 151 145 152 140 170 129 188 156

a. Construct a dotplot of the amounts of Strontium-90

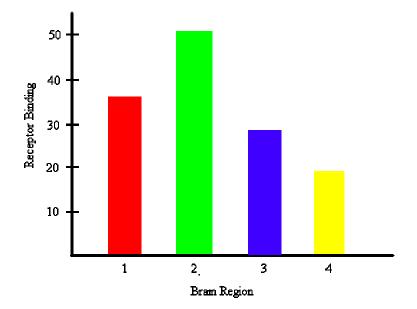
What does the dotplot suggest about the distribution? i.

b. Construct a stemplot of the amounts of Strontium-90

i. What does the stemplot suggest about the distribution?

### BAR GRAPH

A <u>bar graph</u> uses bars of	width to show frequencies of	
categories of	data. The vertical scale	
represents	or	
frequencies. The horizontal scale identifies the different		
of qualitative data. The bars may or may not be separated by small gaps.		
A <b>multiple bar graph</b> has two or more sets of bars, and is used to compare two or		
more	_sets.	



# PARETO CHARTS

A <u>Pareto chart</u> is a bar graph for	data, with	
added stipulation that the bars are arranged in descending order according to		
The vertical scale represents	3	
or		
frequencies. The horizontal scale identifies the different categories of		
data.		

## PIE CHARTS

A <b><u>pie chart</u></b> is a graph that depicts	data as
slices of a, in which the size of each slice is proportional to the frequency count for each category.	

Example 2: Chief financial officers of U.S. companies were surveyed about areas in which job applicants make mistakes. Here are the areas and the frequency of

responses: interview (452); résumé (297); cover letter (141); reference checks (143); interview follow-up (113); screening call (85).

a. Construct a pie chart representing the given data.

b. Construct a Pareto chart of the data.

c. Which graph is more effective in showing the importance of the mistakes made by job applicants?



# CH. 2

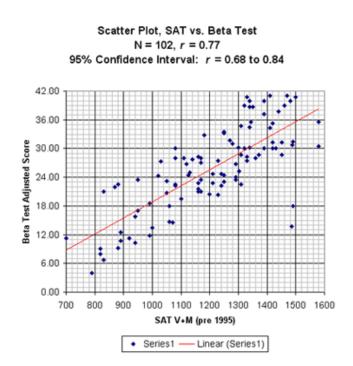
between

#### SCATTERPLOTS

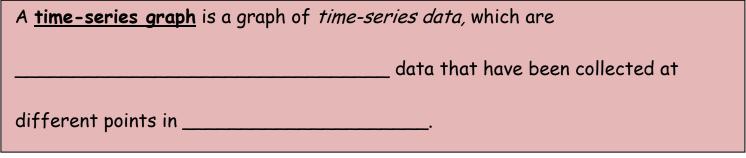
A scatterplot (aka scatter diagram) is a plot of ordered pair

\_\_\_\_\_ data with a horizontal x-axis and a vertical y-axis. The horizontal axis is used for the first (x) variable, and the vertical axis is used for the second variable. The pattern of the plotted points is often helpful

in determining whether there is a \_\_\_\_\_ the two variables.

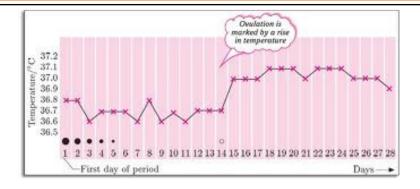


# TIME-SERIES GRAPH



### GRACEY/STATISTICS

# CH. 2



# 2.5 CRITICAL THINKING: BAD GRAPHS

Key Concept...

Some graphs are bad because they are technically correct, but

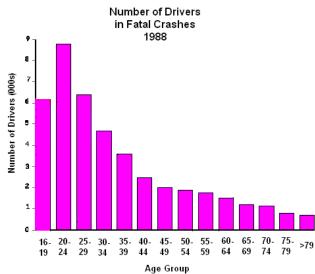
\_. In this section we will learn

about two of the most common types of bad graphs.

### Nonzero axis

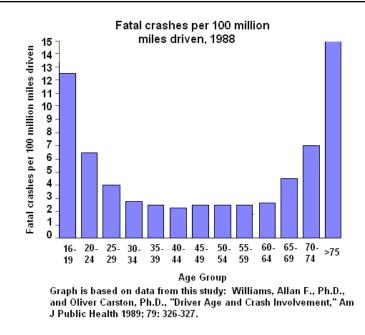
Some graphs are misleading because one or both of t	the
begin at some value other than	, so the differences are
·	

1. The following statistics suggest that 16-year-olds are safer drivers than people in their twenties, and that octogenarians are very safe. Is this true?



Graph is based on data from this study: Williams, Allan F., Ph.D., and Oliver Carston, Ph.D., "Driver Age and Crash Involvement," Am J Public Health 1989; 79: 326-327.

CH. 2



Solution: No. As the following graph shows, the reason 16-year-old and octogenarians appear to be safe drivers is that they don't drive nearly as much as people in other age groups.

#### **Pictographs**



Drawings of objects, often called pictographs, are often misleading.

