
When you are done with your home work you should be able to...
$\pi$ Understand the vocabulary used to describe polynomials
$\pi$ Add polynomials
$\pi$ Subtract polynomials
$\pi$ Graph equations defined by polynomials of degree 2
$\mathcal{W} \mathcal{A R M}$-UP:
Simplify:

$$
-6 x+5 y-2 x^{2}-2 y+x^{2}
$$

$\mathcal{D E S}$ CRIBING PO LyN $\mathcal{N M I A L S}$
$\mathcal{A}$ _-_-_-_-_-_-_-_-_-_-_ is $a$ $\qquad$ term or the _-_-_-_-_-_-_ of two
or more $\qquad$ containing $\qquad$ with $\qquad$ number $\qquad$ . It is customary to write the $\qquad$ in the order of $\qquad$ powers of the $\qquad$ . This is the
$\qquad$
$\qquad$ . We begin this chapter 6y limiting discussion to polynomials containing $\qquad$ variable. Each term of sucta $\qquad$ in $\qquad$ is of the form $\qquad$ . The
of is $\qquad$ .
$\mathcal{T H E} \mathcal{D E} \mathcal{G} \mathcal{R E E} O \mathcal{F} a x^{n}$


Example 1: Identify the terms of the polynomial and the degree of each term.
a. $-4 x^{5}-13 x^{3}+5$
6. $-x^{2}+3 x-7$

A polynomial is $\qquad$ when it contains no $\qquad$ symbols
and no $\qquad$ . A simplified polynomial that has
exactly $\qquad$ term is called a $\qquad$ . $A$ simplified polynomial that has $\qquad$ terms is called a $\qquad$ and $a$ simplified polynomial with $\qquad$ terms is called a $\qquad$ .

Simplifie d polynomials with $\qquad$ or more $\qquad$ have no special names. The $\qquad$ of $a$ $\qquad$ is the
$\qquad$ degree of the of $a$

Example 2: Find the degree of the polynomial.
a. $5 x^{2}-x^{8}+16 x^{4}$
6. -2
$\mathcal{A D D I N G} \operatorname{POLYN} \mathcal{N} O \operatorname{MI} \mathcal{A} S$
Recall that $\qquad$ are terms containing the
same $\qquad$ to the $\qquad$ powers. $\qquad$ are added
by $\qquad$ .

Example 3: Add the polynomials.
a. $(8 x-5)+(-13 x+9)$
6. $\left(7 y^{3}+5 y-1\right)+\left(2 y^{2}-6 y+3\right)$
c. $\left(\frac{2}{5} x^{4}+\frac{2}{3} x^{3}+\frac{5}{8} x^{2}+7\right)+\left(-\frac{4}{5} x^{4}+\frac{1}{3} x^{3}-\frac{1}{4} x^{2}-7\right)$
$d$.

$$
\begin{array}{r}
7 x^{2}-5 x-6 \\
-9 x^{2}+4 x+6 \\
\hline
\end{array}
$$

S UBTRACTING PO LYNOMIALS

the number being $\qquad$ .Subtraction of polynomials also involves
$\qquad$ . If the sum of two polynomials is $\qquad$ , the
polynomials are $\qquad$ of each other.

Example 4: Find the opposite of the polynomial.
a. $x+8$
6. $-12 x^{3}-x+1$

SUBTRACTING PO LYNOMIALS

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To
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        two polynomials,
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$\qquad$

``` the first polynomial and the of the second polynomial
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Example 5: Subtract the polynomials.
a. $(x-2)-(7 x+9)$
6. $\left(3 x^{2}-2 x\right)-\left(5 x^{2}-6 x\right)$
c. $\left(\frac{3}{8} x^{2}-\frac{1}{3} x-\frac{1}{4}\right)-\left(-\frac{1}{8} x^{2}+\frac{1}{2} x-\frac{1}{4}\right)$
d.

$$
\begin{array}{r}
3 x^{5}-5 x^{3}+6 \\
-\left(7 x^{5}+4 x^{3}-2\right) \\
\hline
\end{array}
$$


Grapts of equations defined by
of degree $\qquad$ have a quality. We can obtain the ir graphs, shaped like
bowls, using the $\qquad$ -
method for grapfing an equation in two variables.

Example 3: Graph the following equations by plotting points.
a. $y=x^{2}-1$

6. $y=9-x^{2}$

| $x$ | $y=9-x^{2}$ | $(x, y)$ |
| :---: | :---: | :---: |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
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