Section 3.3: SLOPE
When you are done with your homework you should be able to...
$\pi$ Compute a line's slope
$\pi$ Use slope to show that lines are parallel
$\pi$ Use slope to show that lines are perpendicular
$\pi$ Calculate rate of change in applied situations

## WARM-UP:

Graph each equation.
a. $y-2=0$

b. $-2 x-3 y=9$

| $x$ | $-2 x-3 y=9$ | $(x, y)$ |
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THE SLOPE OF A LINE
Mathematicians have developed a useful $\qquad$ of the of a line, called the $\qquad$ of the line. Slope
compares the $\qquad$ change (the $\qquad$ ) to the
$\qquad$ change (the $\qquad$ ) when moving from one $\qquad$ point to another along the line.
DEFINITION OF SLOPE
The___ is of the line through the distinct points____ and
where ___ it is common to use the letter ___ to represent
the slope of a line. This letter is used because it is the first letter of the French
verb monter, meaning to rise, or to ascend.

Example 1: Find the slope of the line passing through each pair of points:
a. $(-1,4)$ and $(3,-6)$
b. $\left(8, \frac{3}{2}\right)$ and $\left(-\frac{5}{2}, 7\right)$

Example 2: Use the graph to find the slope of the line


## POSSIBILITIES FOR A LINE'S SLOPE

| POSITIVE SLOPE | NEGATIVE SLOPE | ZERO SLOPE | UNDEFINED <br> SLOPE |
| :--- | :--- | :--- | :--- |
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## SLOPE AND PARALLEL LINES

Two $\qquad$ lines that lie in the same plane are
$\qquad$ . If two lines do not $\qquad$ the $\qquad$ of
the $\qquad$ change to the $\qquad$ change is the
$\qquad$ for each $\qquad$ . Because two parallel lines have the same , they must have the same $\qquad$ .

1. If two nonvertical lines are $\qquad$ then they have the same
$\qquad$
2. If two distinct nonvertical lines have the same $\qquad$ then they are $\qquad$ .
3. Two distinct vertical lines, each with $\qquad$ slope, are

## SLOPE AND PERPENDICULAR LINES

Two lines that $\qquad$ at a $\qquad$
(__) are said to be $\qquad$ .

1. If two nonvertical lines are $\qquad$ then the $\qquad$ of their $\qquad$ is $\qquad$ .
2. If the $\qquad$ of the $\qquad$ of two lines is $\qquad$ then the lines are $\qquad$ .
3. $A$ $\square$ line having slope is to a vertical line having slope.

Example 3: Determine whether the lines through each pair of points are parallel, perpendicular, or neither.
a. $(-2,-15)$ and $(0,-3) ;(-12,6)$ and $(6,3)$
b. $(-2,-7)$ and $(3,13) ;(-1,-9)$ and $(5,15)$
c. $(-1,-11)$ and $(0,-5) ;(0,-8)$ and $(12,-6)$

## APPLICATION

Construction laws are very specific when it comes to access ramps for the disabled. Every vertical rise of 1 foot requires a horizontal run of 12 feet. What is the grade of such a ramp? Round to the nearest tenth of a percent.

