## Section 1.3: THE REAL NUMBERS

When you are done with your homework you should be able to...
$\pi$ Define the sets that make up the real numbers
$\pi$ Graph numbers on a number line
$\pi$ Express rational numbers as decimals
$\pi$ Classify numbers as belonging to one or more sets of the real numbers
$\pi$ Understand and use inequality symbols
$\pi$ Find the absolute value of a real number
WARM-UP:
Perform the indicated operation and simplify:

1. $\frac{10}{27} \cdot \frac{3}{2}$
2. $\frac{28}{9}+\frac{2}{3}$

## NATURAL NUMBERS AND WHOLE NUMBERS

A $\qquad$ is a $\qquad$ of objects whose contents can be clearly
determined. The objects in a set are called the $\qquad$ of the set.

Natural numbers: The $\qquad$ of $\qquad$ numbers is
$\qquad$ of $\qquad$ numbers is

## INTEGERS AND THE NUMBER LINE

The $\qquad$ consisting of the $\qquad$ numbers, $\qquad$ and the $\qquad$ of the $\qquad$ numbers is called the set of $\qquad$ .

Integers: The $\qquad$ of $\qquad$ is

Example 1: Consider the following integers: $3,-3,5,-5,0$
Graph each integer in the list on the same number line.


## RATIONAL NUMBERS

If two $\qquad$ are added, subtracted, or multiplied, the result is always another $\qquad$ Is this true when one integer is divided by another?

The set of $\qquad$ numbers is the set of all numbers that can be expressed in the form $\qquad$ where $\qquad$ and $\qquad$ are $\qquad$ and $\qquad$ is $\qquad$ equal to $\qquad$ (
). The integer $\qquad$ is called the $\qquad$ and the integer $\qquad$ is called the $\qquad$ .

Are all integers rational numbers?
Example 2: Consider the following rational numbers: $-\frac{1}{2}, \frac{9}{4},-8,-6 \frac{2}{3}$
Graph each integer in the list on the same number line.


Example 3: Divide

1. $3 \div 8$
2. $3 \div 11$

## RATIONAL NUMBERS AND DECIMALS

Any number can be expressed as a $\qquad$ The resulting
decimal will either $\qquad$ ), or it will have a digit or block of digits that

## IRRATIONAL NUMBERS

Any number that can be represented on the $\qquad$ line that is $\qquad$ a ___ number is called an $\qquad$ number. In other words, the set of irrational numbers is the set of numbers whose $\qquad$ representations are neither $\qquad$ nor $\qquad$ .

THE SET OF REAL NUMBERS
All numbers that can be represented by $\qquad$ on the number line are called $\qquad$ numbers.

THE SETS THAT MAKE UP THE REAL NUMBERS



## IRRATIONAL

 NUMBERSExample 4: Consider the following set of numbers: $\left\{-\frac{4}{2}, 8, \frac{1}{3}, \sqrt{100}, 0, \pi, 0.3\right\}$
List the numbers in the set that are

1. Natural numbers
2. Whole numbers
3. Integers
4. Rational numbers
5. Irrational
6. Real numbers numbers

## INEQUALITY SYMBOLS

On the real number line, the $\qquad$ numbers $\qquad$ from $\qquad$
to $\qquad$ The $\qquad$ or two real numbers is the one farther to the on a number line. The $\qquad$ of two real numbers is the
one farther to the $\qquad$ on a number line.

## NOTATION

Example 5: Insert < or > between each pair of integers to make the statement true.

| 1. | 3 |
| :--- | :--- |
| 2. | $3-5$ |
| 3. | 0 |
| $-3-$ | -5 |

4. 

-3 0
3. $-3 \_-5$
5.

0 $\qquad$
6. $-5 \_5$

## ABSOLUTE VALUE

The $\qquad$ of a real number $\qquad$ denoted is the $\qquad$ from $\qquad$ to $\qquad$ on a number line. Is
the output of an absolute value expression ever negative?

Example 6: Find the absolute value:

1. $|2.5|$
2. $|-8|$

## APPLICATIONS

The table below shows the amount spent on iPAD apps by Shannon's family during the months of May and July of 2011.

| Name | Amount |
| :--- | :--- |
| Shannon | $\$ 48$ |
| Morgan | $\$ 67$ |
| Rory | $\$ 25$ |
| Erin | $\$ 32$ |
| Nicole | $\$ 12$ |

1. Graph the five dollar amounts on a number line.
2. Write the names in order from the least spent on apps to the most spent on apps
